$$rbd[{}^{2}(h-1){}^{2}r^{2}\pi + {}^{2}(a+1){}^{2}_{a}V]_{J}Oq\frac{1}{2} = -\frac{1}{2}\rho C_{L}[V_{a}^{2}(1+a)^{2} + 4\pi^{2}r^{2}(1-a')^{2}]bdr$$

$PETALS {}^{2} PETALS {}^{2}$

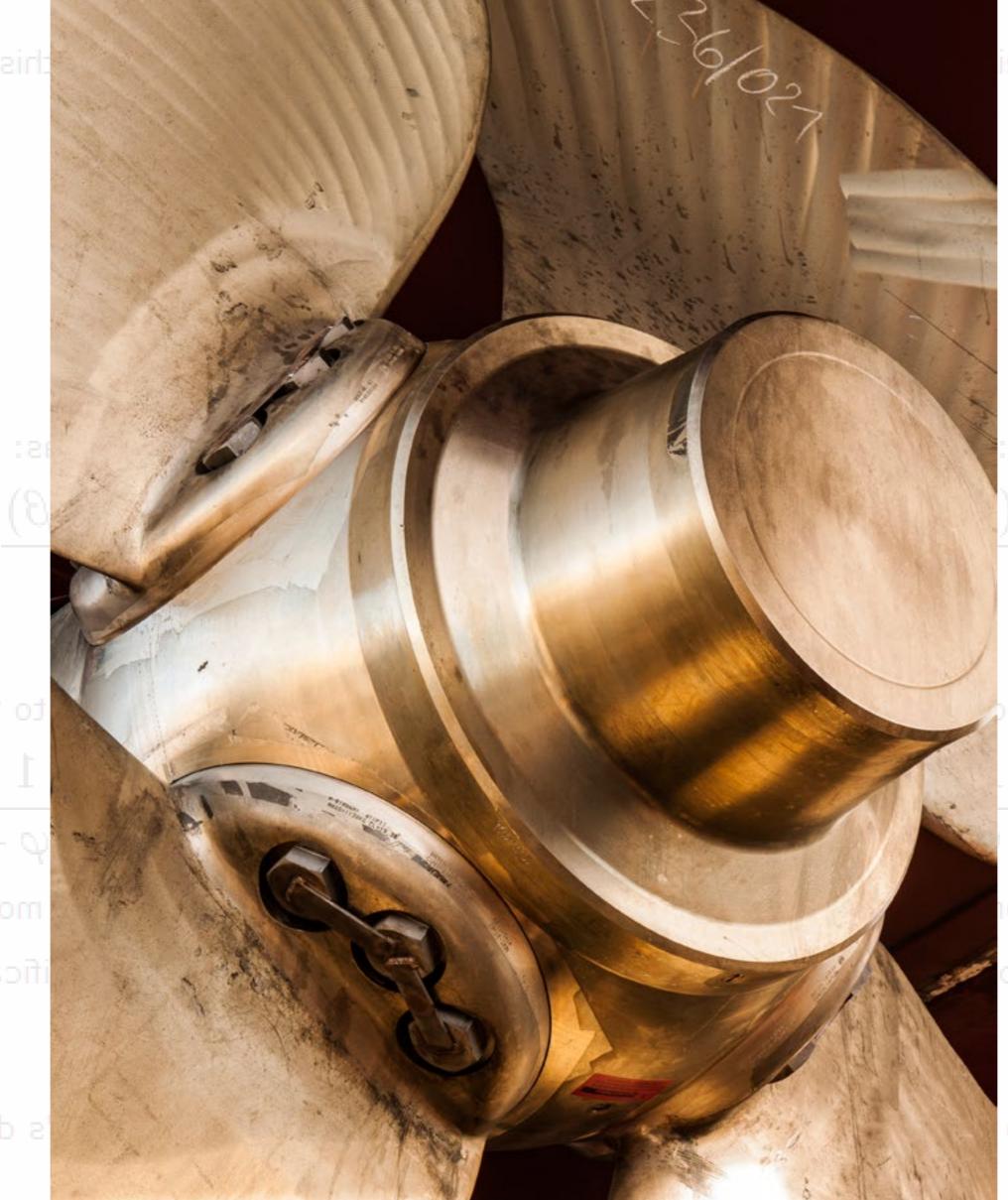
$$(\varphi \operatorname{nis} \frac{\mathrm{d} \mathrm{b}}{\mathrm{d} \mathrm{b}} - \varphi \cos) \mathrm{d} \mathrm{b} = \varphi \operatorname{nis} \mathrm{d} \mathrm{d} \mathrm{D} \sin \varphi = \mathrm{d} L(\cos \varphi - \frac{\mathrm{d} \mathrm{D}}{\mathrm{d} L} \sin \varphi)$$



this expression along the blade. The

to TV_a and the shaft power to $2\pi N$

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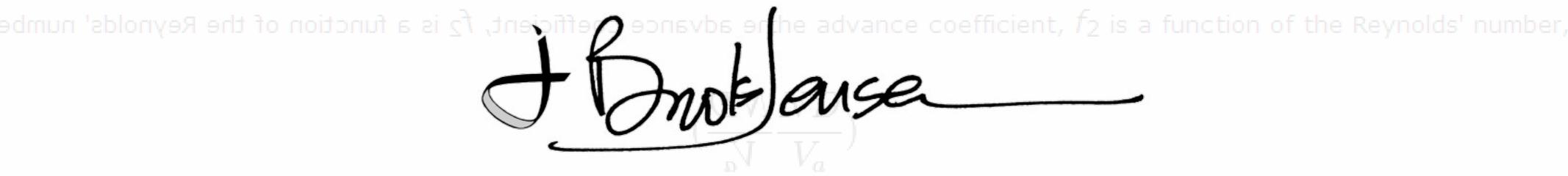


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So with the propellers $A^{+}Brooks$ Jensen Arts Publication h will be the same. So with the propellers $A^{+}Brooks$ Jensen Arts Publication



 Δt : Δt and t and t, where force normal to the surface is dL:

$$rbd[{}^{2}('a-1){}^{2}r^{2}\pi + {}^{2}(a+1){}^{2}_{a}V]_{J}Oq\frac{1}{2} = = \frac{1}{2}\rho C_{L}[V_{a}^{2}(1+a)^{2} + 4\pi^{2}r^{2}(1-a')^{2}]bdr$$



erallegong for both will be the same. So with the propeller and the expression for both will be the same. So with the propeller and the propeller and the propeller and the propeller



The posting and of lamon and anelw the abald and no ion the blade, dA, where force normal to the surface is d $tbd[{}^{c}(b-1){}^{c}r^{c}\pi b + {}^{c}(b+1){}^{c}NI_{1}O_{0}- = = \frac{1}{a}Gr[V^{2}(1+a)^{2} + 4\pi^{2}r^{2}(1-a')^{2}]bdr$ For ten years, my office was directly across the street from Dakota Creek Shipyards. From the window next to $tbd[{}^{c}(b-my desk, I could watch each project while it morphed a')^{2}]bdr$ from piles of sheet metal to a massive, fully-functioning ship. One of the most exciting days of my photographic life was when the owner of the shipyard gave me my own hardhat and permanent visitor's pass so I could wander the shipyard with my camera whenever the action and the light moved me.





erplease and the same. So with the propelle and a the expression for both same. So with the propelle and the propelle



Ib all solutions and the solution of the solution of the solution of the blade, dA, where force normal to the surface is dL:

 $rbd[{}^{2}('a-1){}^{2}r^{2}\pi + {}^{2}(a+1){}^{2}_{a}V]_{J}Oq\frac{1}{2} = -\frac{1}{2}\rho C_{L}[V_{a}^{2}(1+a)^{2} + 4\pi^{2}r^{2}(1-a')^{2}]bdr$

Mechanics, materials, and math are the foundations of a ship. The angles and twist of the propeller blades can push even the most massive and laden ship through the roughest seas. The forward thrust of a ship's spinning propeller is a matter of engineering, calculable by some fairly high-level math which I have no hope of understanding. For me, the magic is in the simple beauty of exquisite and graceful *form*, particularly in those giant petals of power, designed for a powerful purpose, sculpted out of solid brass, taller than I am, golden in the evening sun.

 $\Im \cos \varphi$ "nizsin" $\varphi \cos \beta$



nellegore and the same. So with the propelle and the expression for both will be the same. So with the propelle



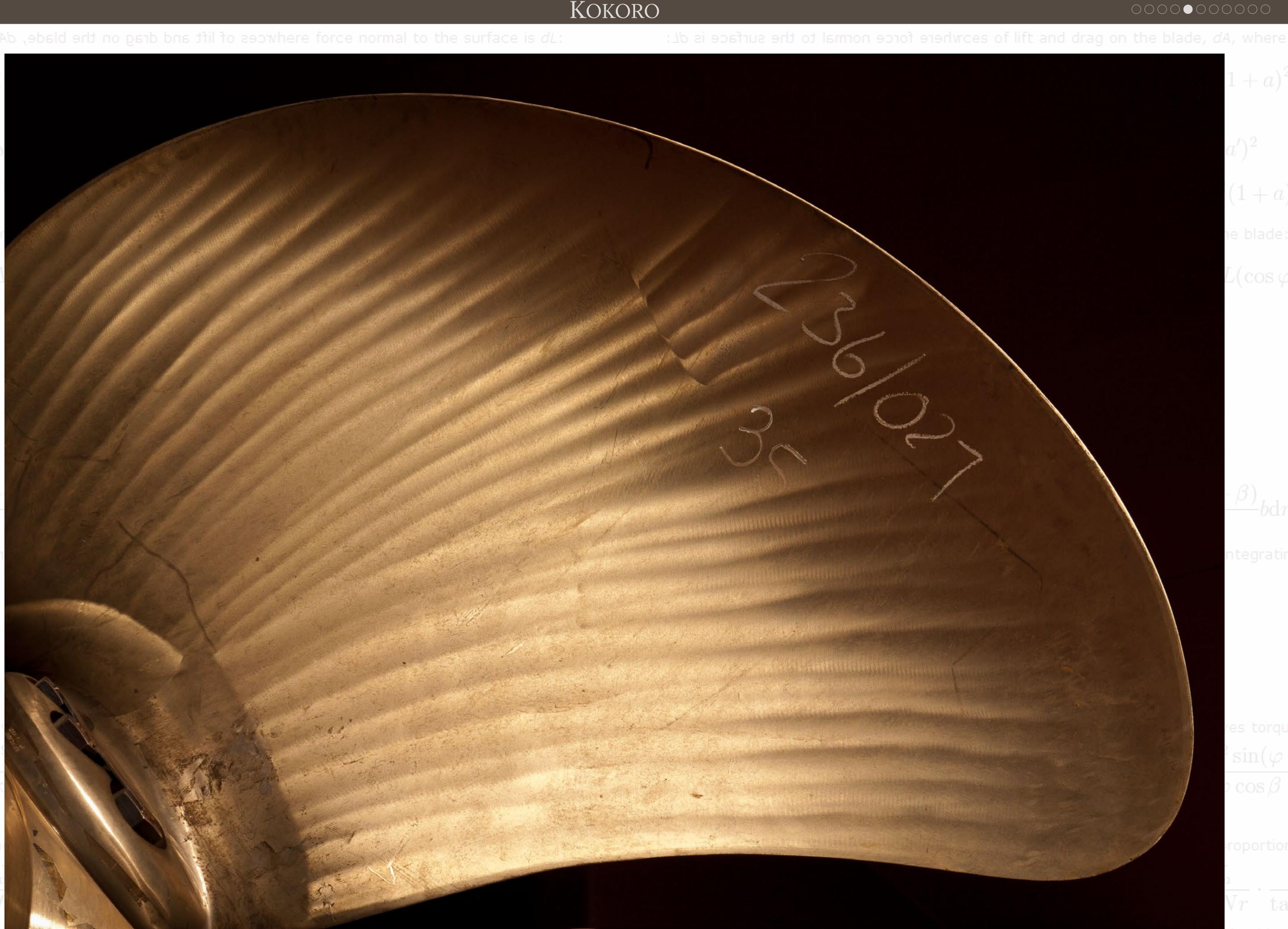
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 $(1 + a)^2$ $a')^2$ (1 + a)re blade: $L(\cos \varphi$

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res torqu $\sin(\varphi)$ $b \cos \beta$

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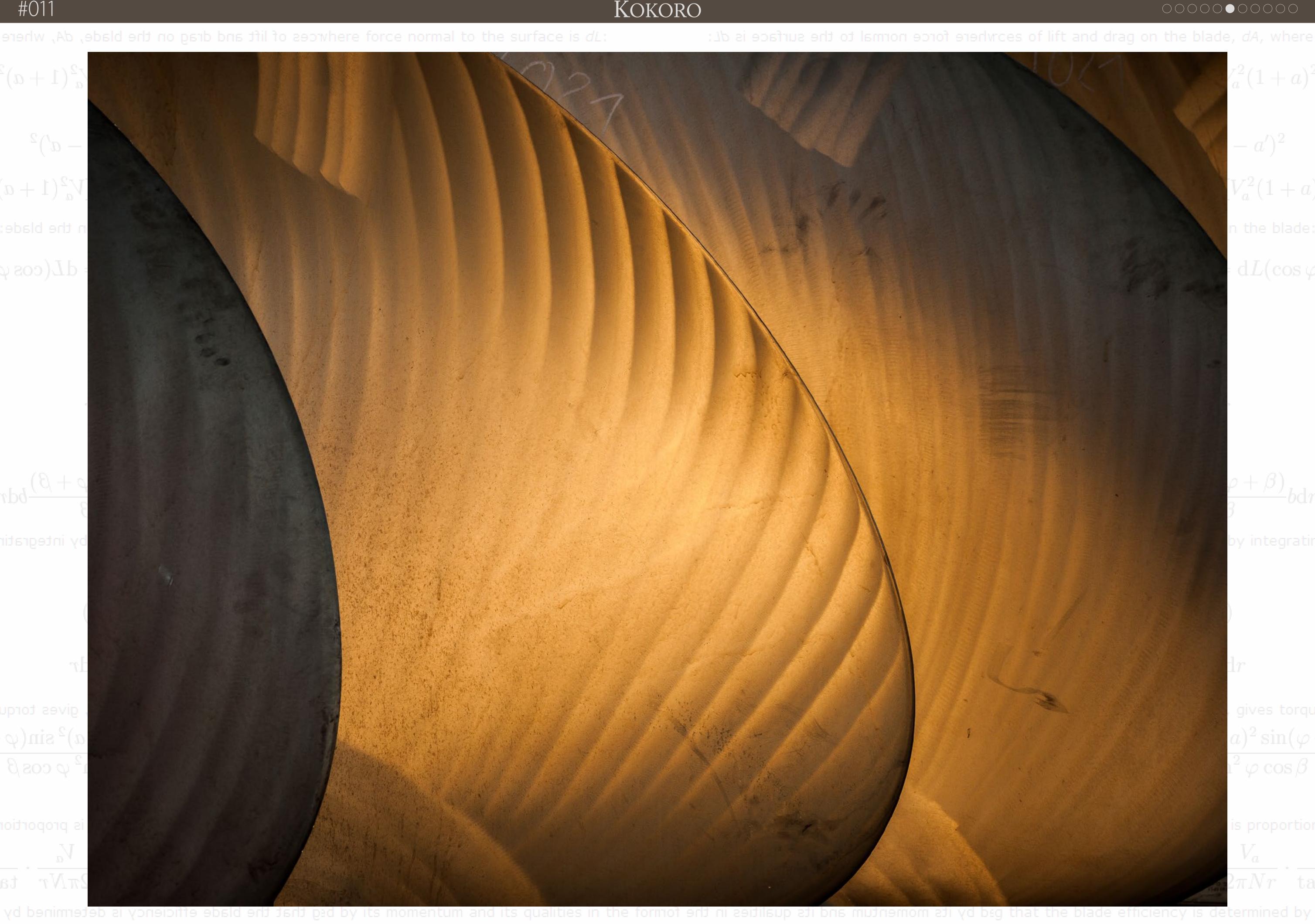
 $(-a')^2$ $V_a^2(1+a)$ n the blade: $= \mathrm{d}L(\cos \varphi)$

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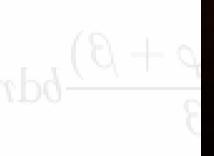
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 $2\pi Nr$ ta



 $a^{72}(1+a)^{2}$

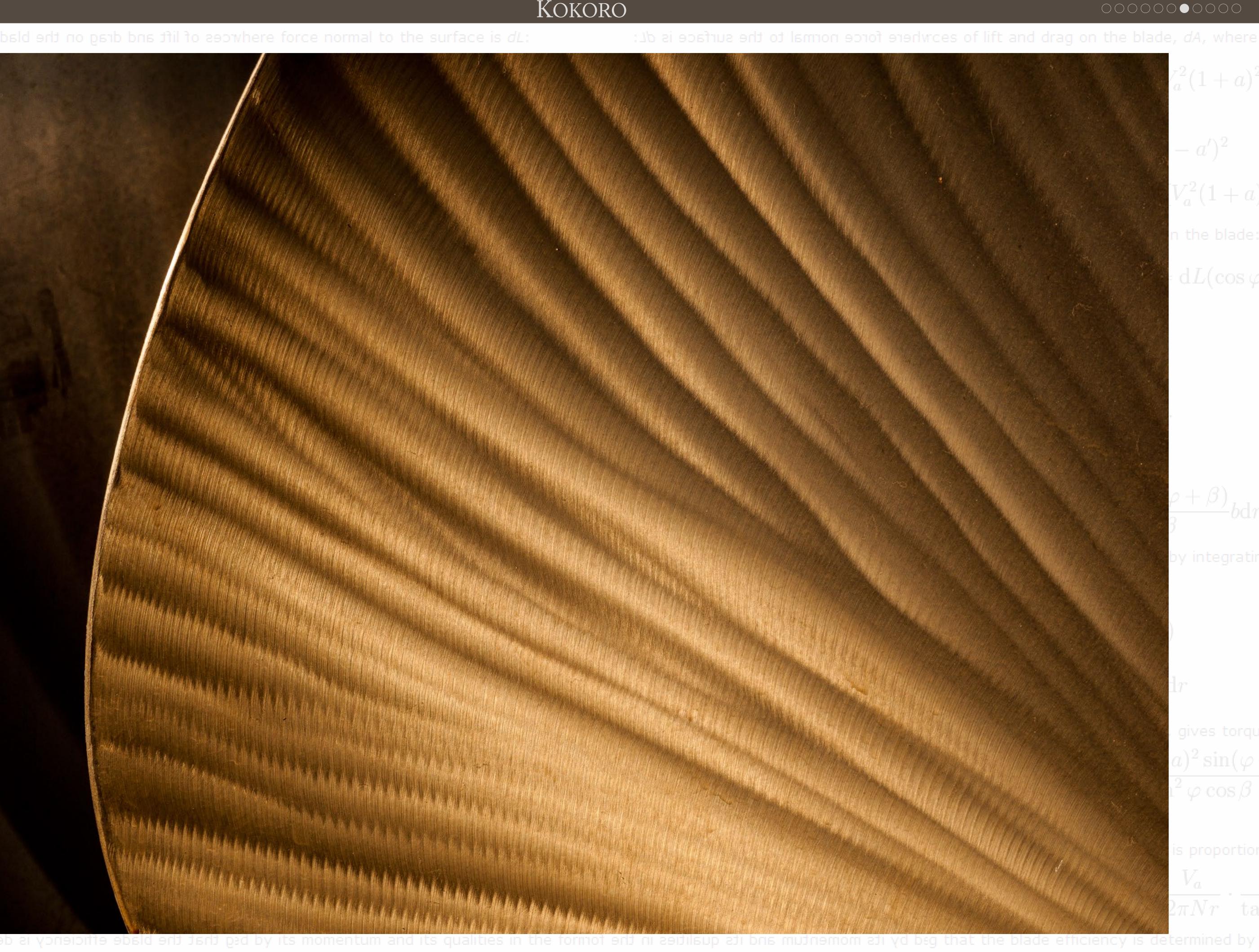
 $V_a^2(1+a)$ n the blade: $= \mathrm{d}L(\cos \varphi)$

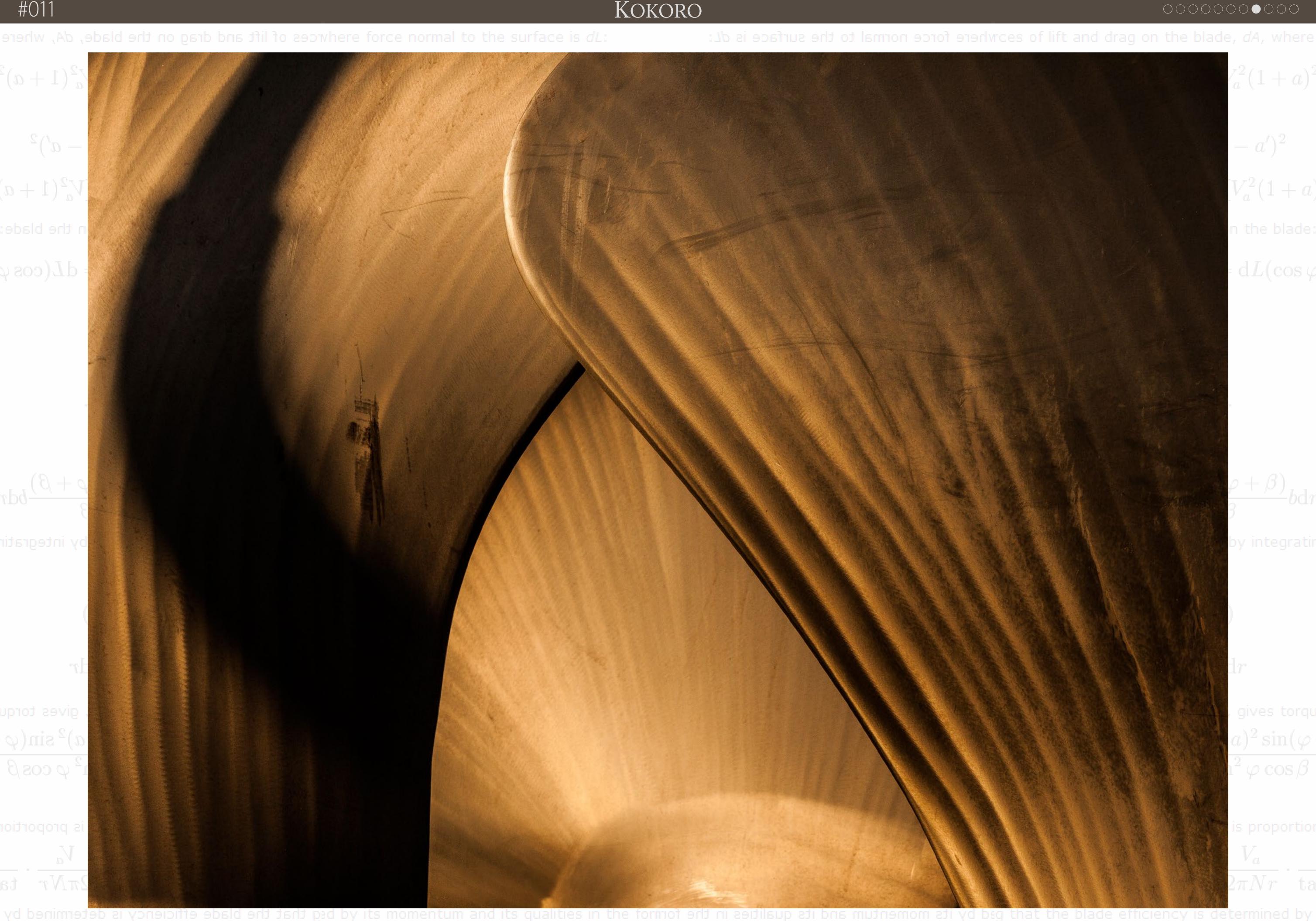


by integratin

 $a)^2 \sin(\varphi)$

is proportion $2\pi Nr$ ta





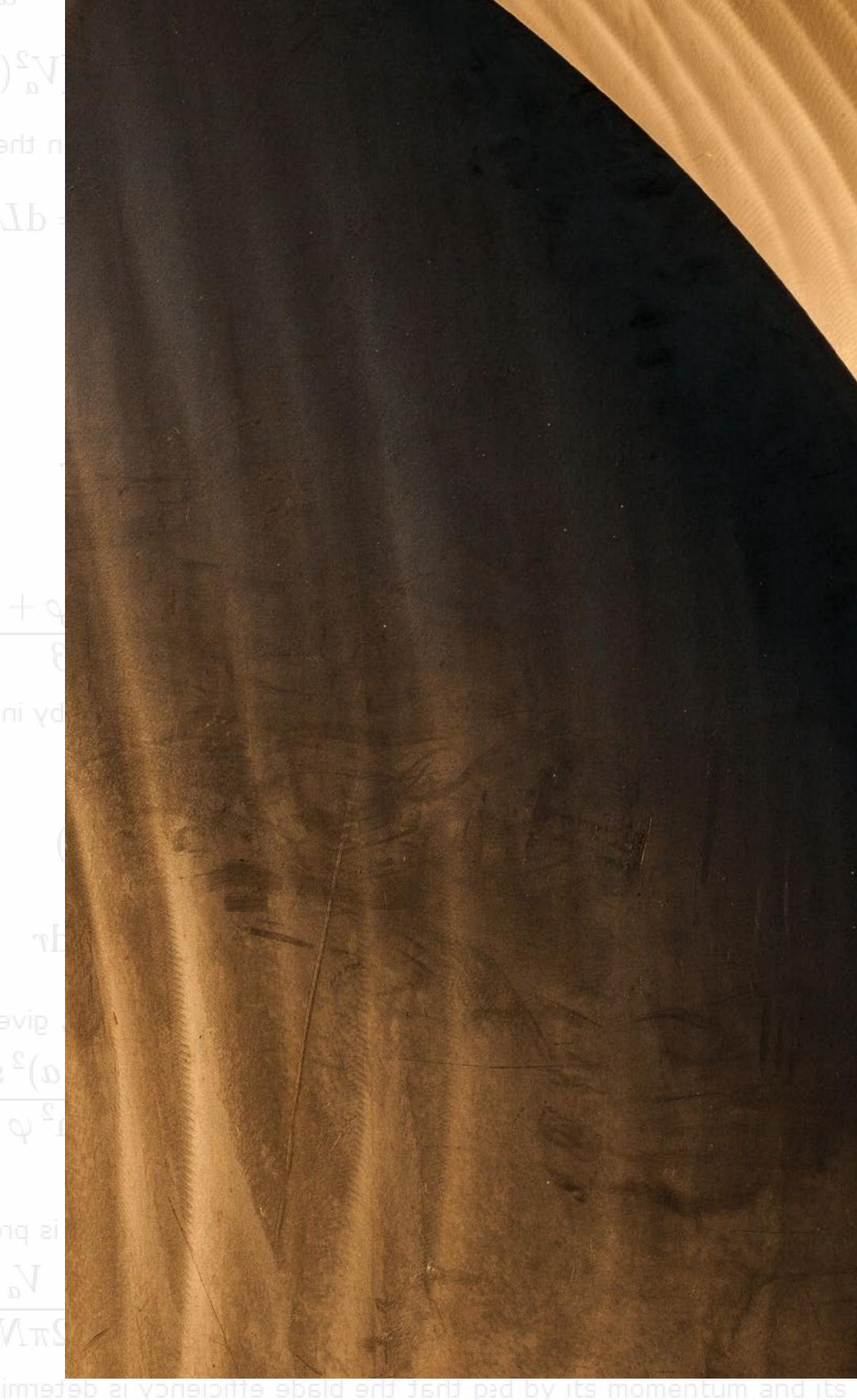
(2 + a) where biade, a_{3} , where $(2 + a)^{2}$

 $-a')^2$ $V_a^2(1+a)$ n the blade: $dL(\cos arphi$

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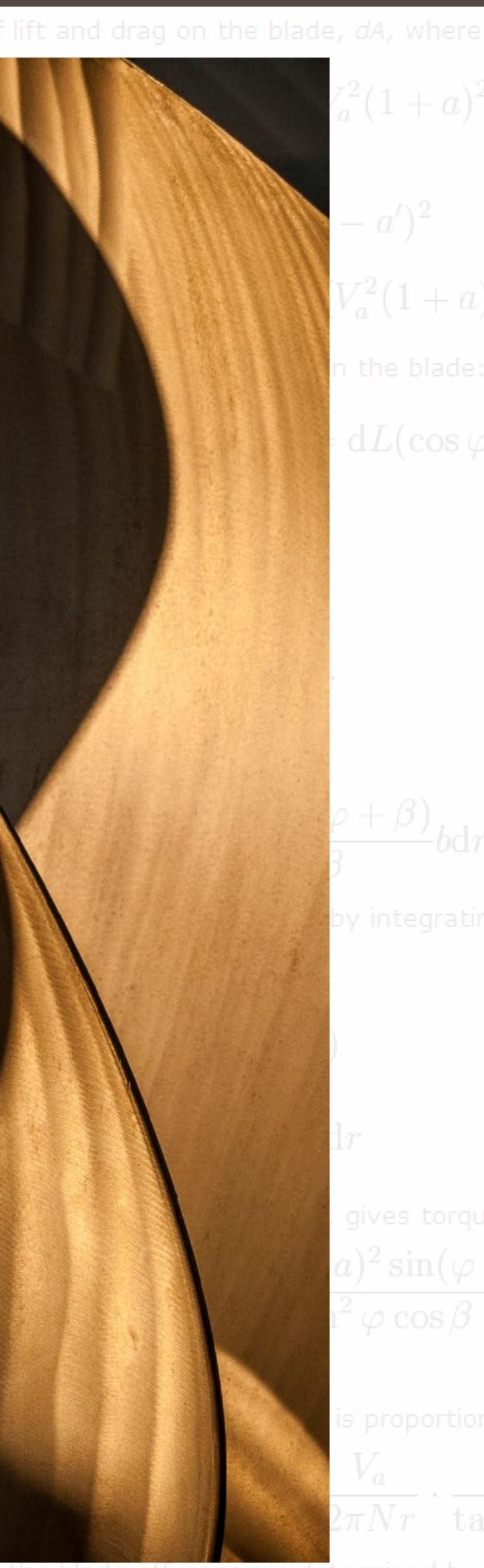
is proportion $\frac{V_a}{2\pi Nr} \cdot \frac{1}{4a}$



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irface is dL:

to sepwhere force normal to the surface is dL:



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 $a')^2$ (1 + a)e blade:

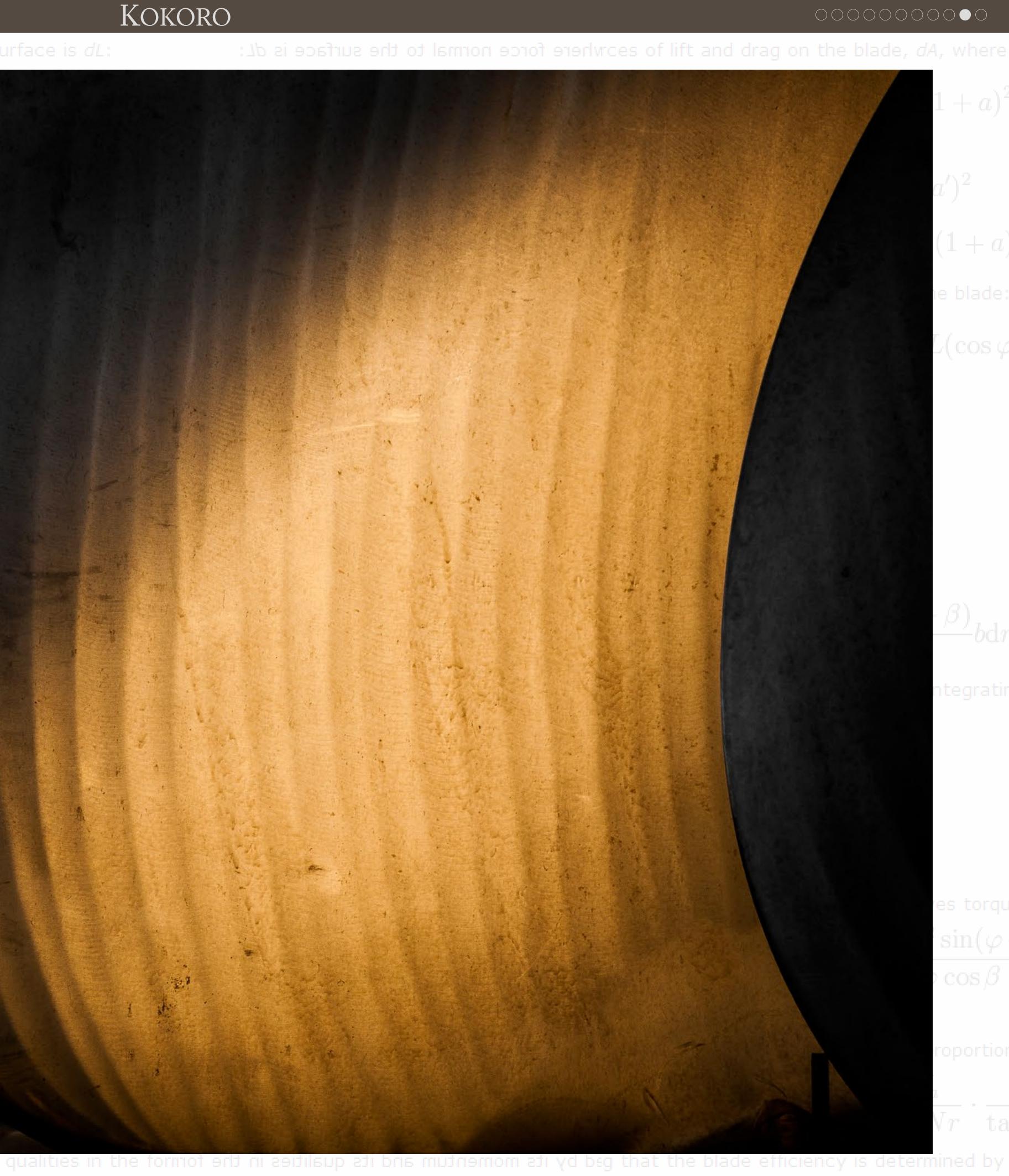
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Brooks Jensen is a fine-art photographer, publisher, workshop teacher, and writer. In his personal work he specializes in small prints, handmade artist's books, and digital media publications.

He and his wife (Maureen Gallagher) are the owners, co-founders, editors, and publishers of the award winning *LensWork*, one of today's most respected and important periodicals in fine art photography. With subscribers in 73 countries, Brooks' impact on fine art photography is truly world-wide. His long-running

podcasts on art and photography are heard over the Internet by thousands every day. All 900+ podcasts are available at <u>LensWork Online</u>, the LensWork membership website. LensWork Publishing is also at the leading edge in multimedia and digital media publishing with <u>LensWork Extended</u> — a PDF based, media-rich expanded version of the magazine.

Brooks is the author of seven best-selling books about photography and creativity: *Letting Go of the Camera* (2004); *The Creative Life in Photography* (2013); *Single Exposures* (4 books in a series, random observations on art, photography and creativity); and *Looking at Images* (2014); as well as a photography monograph, *Made of Steel* (2012). His next book will be *Those Who Inspire Me (And Why)*. A free monthly compilation of of this image journal, *Kokoro,* is available for download.

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